

## PROBLEM SET #N<sub>0</sub>, 18.100C

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**Problem 1.** Produce some L<sup>A</sup>T<sub>E</sub>X code that exhibits some useful features.

*Solution.* The following unnumbered formula presents the expression  $\sum_{n=1}^{\infty} \frac{1}{n^2} < \infty$  in math mode:

$$\sum_{n=1}^{\infty} \frac{1}{n^2} < \infty.$$

It is possible to reference the numbered equation

$$(1) \quad \int_0^1 x \, dx = \frac{1}{2}$$

since it is supplied with a “label.” This sentence refers to equation (1).

By using two line breaks, we have produced a new paragraph; in it we include a bibliographic reference to Rudin [1]. The last theorem you will read about in that text is [1, Theorem 8.20].

**Problem 2.** Prove that L<sup>A</sup>T<sub>E</sub>X numbers theorem environments appropriately.

*Solution.* This follows by inspection upon compiling the .tex file. Note that you must compile the document twice in order for label and bibliographic references to appear. If installed on your system, the command `dvipdf fileName.dvi` will convert L<sup>A</sup>T<sub>E</sub>X’s .dvi output to .pdf.

### REFERENCES

- [1] Walter Rudin, *Principles of mathematical analysis*. McGraw-Hill Book Co., 3rd Edition, 1976.